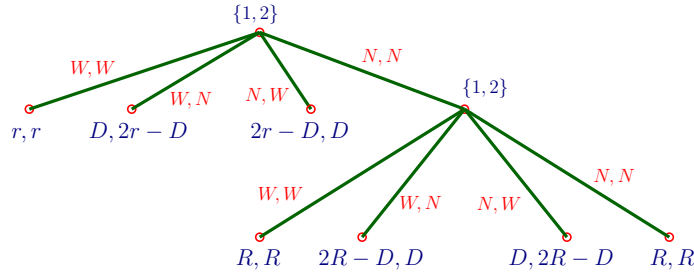


A Bank Deposit Game

This game tries to capture the possibility of bank runs. There are two players/depositors with total deposits $2D$ (D each). There are two stages, both players play in each and they can withdraw, action W or not withdraw, action N . Total yield is $2R$ if there is no withdrawal in stage 1, otherwise $2r$ with $r < D < R$. The other payoffs are as specified in the following game:

Figure 1: A Deposit Game



If they both withdraw at the first stage they get $r < D$ each. If neither does and they perform the same action in stage 2 they get $R > D$ each. In the first stage the single player who withdraws takes $D > r$, the other the remaining yield $2r - D < r$; in the second stage it is the opposite: the single one who leaves the money in the bank gets D , the other gets $2R - D > R$ (for the proceeds can be collected then).

We look for subgame perfect equilibria, so start at history N, N . There we have the following simultaneous move subgame, with unique equilibrium W, W .

	W	N
W	R R	$2R - D$ D
N	D $2R - D$	R R

Therefore we can replace the above subgame with the resulting equilibrium payoff R, R , and get the following game at stage 1:

	W	N
W	r r	D $2r - D$
N	$2r - D$ D	R R

This game has *two* Nash equilibria, W, W and N, N . Therefore the two-stage game has two subgame perfect equilibria: one is the profile (WW, WW) , where both players play WW that is withdraw at each stage, the other is (NW, NW) where both only withdraw at the second stage. The second yields R each which is higher than the payoff r they get in the first equilibrium. The latter models a “bank run” - it is inefficient but it is still an equilibrium.